## Student Activity on Circles with Centre (-g,-f)

Use in connection with the interactive file "Circles with Centre (-g,-f)" on the Student's CD.

## To explore the properties of circles with centre (-g,-f)



The slider called "Step" is used to change the information on the screen.

To start set the slider to "Step = 1"

1. Adjust the sliders and watch the size, equation and location of the circle change.
2. As gincreases, i.e. moves from -5 to 5, what happens the circle? $\qquad$
3. As $g$ decreases, i.e. moves from 5 to -5 , what happens the circle? $\qquad$
4. As $f$ increases, i.e. moves from -5 to 5 , what happens the circle? $\qquad$
5. As $f$ decreases, i.e. moves from 5 to -5 , what happens the circle? $\qquad$
6. Adjust the sliders and see if you can come up with a relationship between the xcoordinate of the centre and any part of the equation of the circle. $\qquad$
$\qquad$
$\qquad$
7. Adjust the sliders and see if you can come up with a relationship between the $y$ coordinate of the centre and any part of the equation of the circle.
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$\qquad$
8. Describe how you would work out the centre of the circle $x^{2}+y^{2}-6 x+4 y-5=0$.
$\qquad$
$\qquad$
$\qquad$
9. Adjust $g$ or $f$ so that the centre of the circle is on the $x$-axis. What do you notice about the equation? $\qquad$
10. Adjust g or f so that the centre of the circle is on the y -axis. What do you notice about the equation? $\qquad$
11. When the centre of the circle is on the $x$-axis what happens the equation of the circle? $\qquad$
12. When the centre of the circle is on the $y$-axis what happens the equation of the circle? $\qquad$
13. Under what circumstances would a circle have an equation of $x^{2}+y^{2}-9$
$=0$ ? $\qquad$
$\qquad$
14. Under what circumstances would a circle have an equation with no " $x$ " term and a " $y$ " term of $4 y$ ? $\qquad$
15. Make $\mathrm{c}=0$. Which piece of the equation is influenced? $\qquad$
16. Keeping $\mathrm{c}=0$, adjust the sliders g and f and see if you can see any relationship between $g$, $f$ and the radius of the circle? Finish off the following sentence: When $c=0$ the radius of the circle is $\qquad$
17. Make $c=0, g=2$, and $f=3$. What is the radius? $\qquad$
18. Make $\mathrm{c}=1, \mathrm{~g}=2$ and $\mathrm{f}=3$. What is the radius? $\qquad$
19. Make $\mathrm{c}=2, \mathrm{~g}=2$ and $\mathrm{f}=3$. What is the radius? $\qquad$
20. Make $c=-1, g=2$ and $f=3$. What is the radius? $\qquad$
21. Can you work out the formula for the radius in terms of $\mathrm{g}, \mathrm{f}$ and c ? $\qquad$
22. Can you find a set of circumstances when you adjust $g$, $f$ and $c$ that the circle is no longer there i.e. no circle is
drawn? $\qquad$
23. Substitute the numbers you found in the previous answer into your formula for finding the radius from question 21 . What do you get for the radius? $\qquad$
24. Would it be possible to have a radius equal to this? $\qquad$
25. Describe how to find the equation of the circle with centre $(2,4)$ and radius 3 $\qquad$
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$\qquad$
