Construct the following triangle ABC, where |AB| = any length in cm, $|\angle BAC| = 50^{\circ} and |\angle ABC| = 70^{\circ} in the space provided below.$

Using the same space provided below, construct another triangle DEF where |DE| = any different length (to the above) in cm, $|\angle EDF| = 50^{\circ}$ and $|\angle DEF| = 70^{\circ}$.

Suggest two different methods to determine the size of the third angle.

Metho	Method 1:																								
Metho	d 2:																								

Complete the following table:

Corresponding Angles	△ABC	Corresponding Angles in △DEF
∠ACB and ∠	∠ACB =°	∠ =°
∠BAC and ∠	$\left \angle BAC \right = 50^{\circ}$	∠ =°
∠ABC and ∠	∠ <i>ABC</i> = 70°	∠ =o

What can you conclude from the above measurements?

Complete the following table, measuring the lengths of the sides as accurately as possible:

	△ <i>ABC</i> Length(cm)	<i>△DEF</i> Length(cm)	Ratio
Corresponding sides <i>AB</i> and <i>DE</i>	<i>AB</i> = cm	<i>DE</i> = cm	<i>AB</i> : <i>DE</i> : 1 :
Corresponding sides BC =	<i>BC</i> = cm	= cm	<i>BC</i> : : 1 :
Corresponding sides	= cm	= cm	: : 1 :

What can you conclude from the calculations above?

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This is a Theorem on your course. Tick the box to the title of this theorem.

In an isosceles triangle the angles opposite the equal sides are equal.	
Two sides of a triangle are together greater than the third.	
Each exterior angle of a triangle is equal to the sum of the interior opposite angles.	
If two triangles are similar, then their sides are proportional, in order.	
Let ABC be a triangle. If a line l is parallel to BC and cuts [AB] in the ratio m:n, then it also cuts [AC] in the same ratio.	
The angles in any triangle add to 180°.	