

# GeoGebra: 

Effective use of GeoGebra in the classroom

## Workshop 1 Booklet

Name:

## Rich Task 1- Problem

A Scout Troop have pitched 3 tents to sleep in and wish to build one fire to cook with. Where is the fairest location for the fire?


## Rich Task 1- Cheat Sheet

## Point drop-down menu



## Types of lines drop-down menu



## Interacting lines drop-down menu



## Rich Task 1- Questioning

## Bloom's Taxonomy

L1: How do you plot a point? (Requires students remember how to use GeoGebra to plot points)
L2: Can you find the fairest point between 2 of the tents? (Understanding of midpoint)
L3: How can I find the fairest point between 3 tents? (Must apply understanding of bisecting lines to find the circumcentre)

L4: What is the relationship between the synthetic and coordinate geometry in this task? (Analyse the connection between algebra and geometry)

L5: Would this solution work if there were more than 3 tents? (Evaluate the solution to the problem and if it applies to multiple contexts)

L6: Could you create a similar problem? (creating new problem)

## Prompts for Extension Questions



| Triangles | Acute | Right Angled | Obtuse |
| :--- | :--- | :--- | :--- |
| Is the triangle <br> always? |  |  |  |
| Is the circumcentre <br> always inside the <br> triangle? |  |  |  |

## Rich Task 2 - Option 1

Task to investigate effect of $a, b$ and $c$ in the function of

$$
g(x)=a+b * \sin (c * x)
$$

1. Use GeoGebra to graph the function $f(x)=\sin (x)$
2. Using sliders to control the values of $a, b$ and $c$, graph the function of

$$
g(x)=a+b * \sin (c * x)
$$

3. Write down the equation of as many functions as you can that have a maximum value of 3 and a minimum value of -3 .
$\square$
4. Write down the equation of as many functions as you can that have a maximum value of 3 and a minimum value of 1 .
5. Write down the equation of as many functions as you can that intersect with roots of $f(x)=\sin (x)$
$\square$

- Two points to bear in mind while you're doing this activity
- How could this activity be used with other types of functions?
- What do the sliders in this activity represent mathematically?


## Rich Task 2 - Option 2

Task to investigate effect of $a, b$ and $c$ in the function of

$$
h(x)=a *(x+b)^{2}+c
$$

1. Use GeoGebra to graph the function

$$
h(x)=a *(x+b)^{2}+c
$$

2. Using sliders to control the value of $a, b$ and $c$, graph

$$
h(x)=a *(x+b)^{2}+c
$$

3. Write down the equation of as many functions as you can that have a minimum $y$-value of -1 .

## Solutions:

4. Write down the equation of as many functions as you can that have a turning point at the origin.

## Solutions:

5. Write down the equation of as many functions as you can that have roots of 2 and 6.

## Solutions:

- Two points to bear in mind while you're doing this activity
- How could this activity be used with other types of functions?
- What do the sliders in this activity represent mathematically?


## Extension Questions:

1. Write down the equation of as many functions as you can that have no roots.
2. What changes would you make to the function to make it invertible?

## Rich Task 2 - Cheat Sheet

## Creating graphs of different functions



## Creating graphs of Trigonometric functions in radians




## Effective Questioning

Research conducted by Cotton (2001) and Hattie (2012) showed that:
$20 \%$ of classroom questions are higher cognitive questions $20 \%$ are procedural questions ('have you got your books with you?) $60 \%$ are lower cognitive questions.

## Elements of Effective Questioning:

- Questions must have a purpose
- Questions must be linked to learning outcomes and success criteria
- It promotes discussions
- Results in students being more likely to develop a deeper understanding of an idea because they have tried to explain it themselves
- Promotes higher order thinking and extends learning.


## Bloom's Taxonomy



Some of your higher order questions:

## Task 3 - Take-home Task

Use GeoGebra to investigate why the point of intersection of the angular bisectors of a triangle is equidistant to the sides of the triangle.


## Useful links

| Online GeoGebra application | $\underline{\text { http://www.geogebra.org }}$ |
| :--- | :--- |
| GeoGebra support manual | $\underline{\text { https://wiki.geogebra.org/en/Manual }}$ |
| GeoGebra videos from PDST PP Maths | $\underline{\text { https://tinyurl.com/PMGeoGebra }}$ |
| School support resources | $\underline{\text { www.scoilnet.ie }}$ |
| Effective use of task 2 without devices | $\underline{\text { https://tinyurl.com/PostPrimary3 (task2) }}$ |
| Effective use of GeoGebra | $\underline{\text { https://tinyurl.com/PostPrimary4 (tandl) }}$ |
| Leaving Certificate Maths Syllabus | $\underline{\text { https://tinyurl.com/LCSyllabus }}$ |
| Junior Certificate Maths Syllabus | $\underline{\text { https://tinyurl.com/JCsyllabus }}$ |
| Task 3 Discussion pad | $\underline{\text { https://tinyurl.com/PostPrimary2 }}$ (task3) |
| Workshop evaluation form | $\underline{\text { https://tinyurl.com/Geoevaluate }}$ |
| Geometry workshop questionnaire | $\underline{h t t p s: / / t i n y u r l . c o m / G e o m T r i g W S ~}$ |

